

# Analysis of genome-scale count data in Bioconductor



Mark D. Robinson<sup>1,2</sup> and Davis J. McCarthy<sup>1</sup>


<sup>1</sup>Bioinformatics Division, The Walter and Eliza Hall Institute of Medical Research

<sup>2</sup>Epigenetics Laboratory, Garvan Institute of Medical Research


**BioC 2010**

# Outline

1. Applications
2. Summarization
3. Statistical models for count data
4. “Normalization”




Preliminaries  
(~40min)




Practical  
(~20min)

5. Sharing information over entire dataset
6. Statistical testing
7. Other considerations – error model and more complex designs



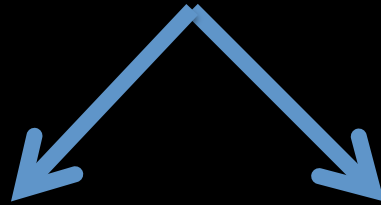
More  
advanced  
topics  
(~30min)



Practical  
(~30min)

(Current) Bioconductor tools:  
baySeq, DEGseq, DESeq, **edgeR**

# Sequencing experiments used for:



Sequence of  
(mapped) read

e.g. genome sequencing,  
SNP/mutation mapping,  
genomic rearrangements,  
etc.

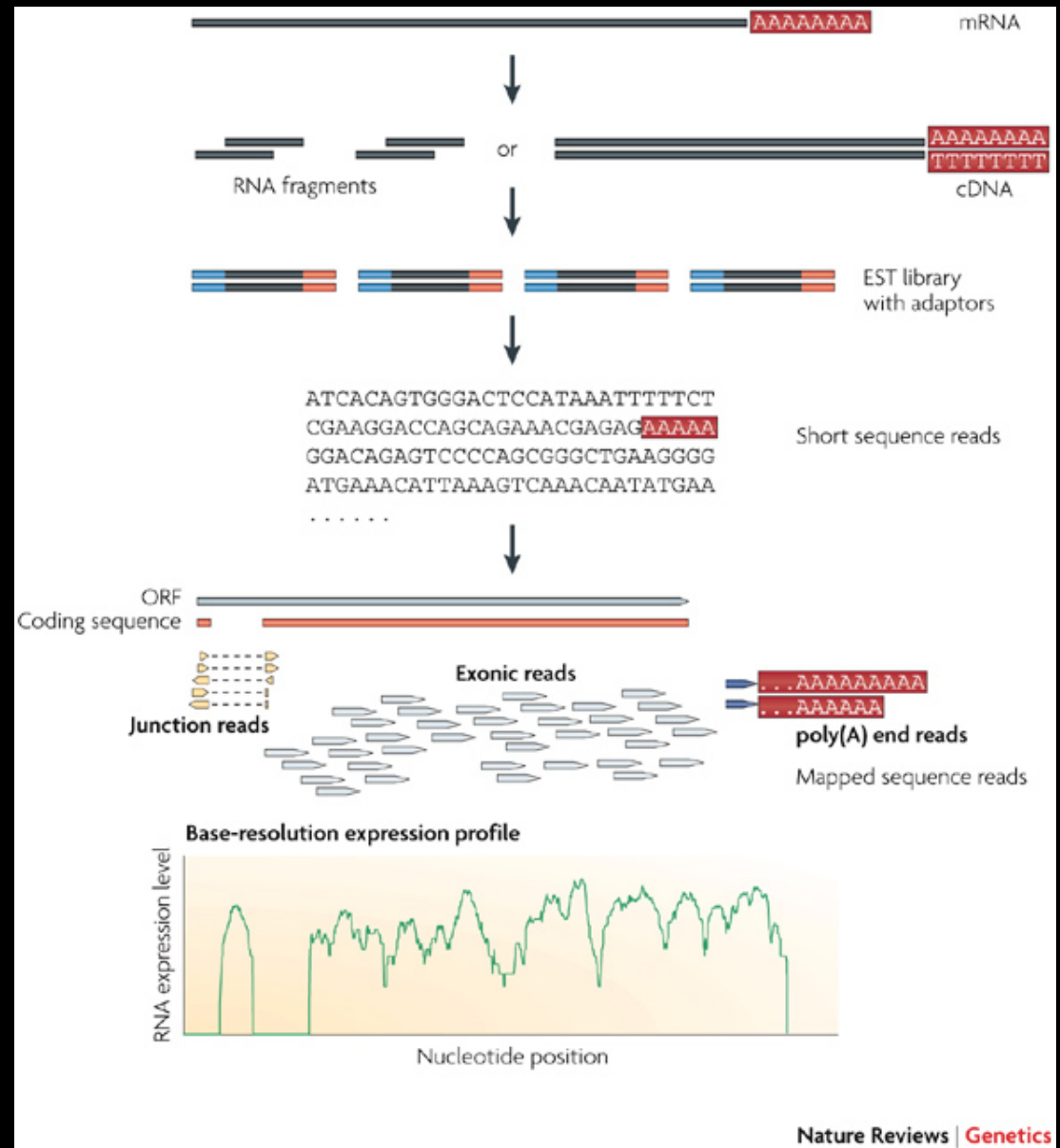
Position of mapped  
read

e.g. RNA-seq, tag-seq for  
expression, ChIP-seq for  
TF binding or histone  
modifications, MeDIP-seq  
for DNA methylation, etc.

# Applications

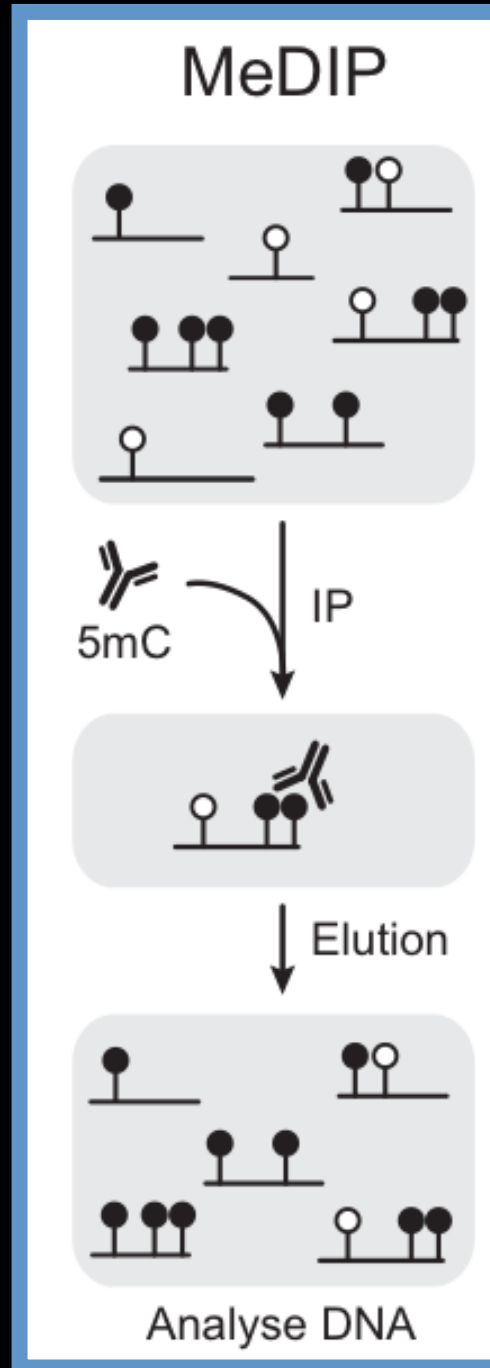
- **Differential** gene expression: RNA-seq, “Tag”-seq, etc.
- **Differential** enrichment: histone modifications, other types of “enrichment”-based sequencing e.g. ChIP-seq, MeDIP-seq, etc.
- Analyses of **changes** in other tables of counts: e.g. peptide counts from MS/MS experiments, metagenomics experiments.

# Example: RNA-seq (or similar) for gene expression



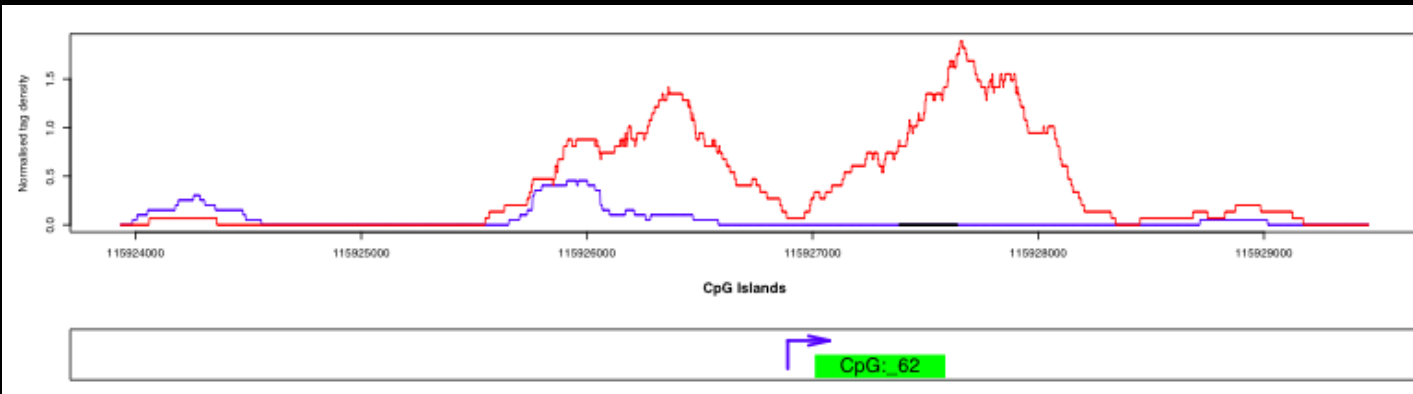
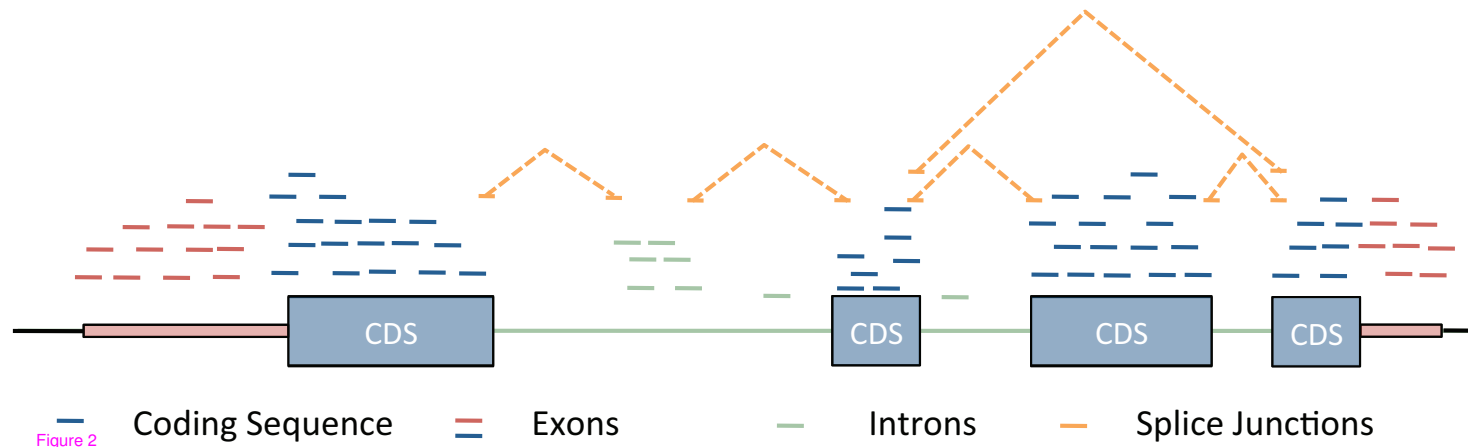
Example:

Enrichment of subset  
of the genome (e.g.  
ChIP for histone  
modifications or DNA  
methylation)



# Summarization

# Summarization





# What does genome-scale count data look like?

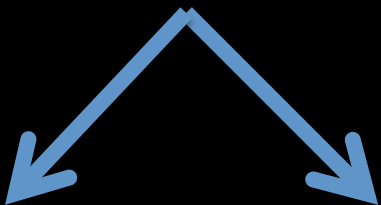
- e.g. RNA-seq

Tag ID	A1	A2	A3	A4	B1	B2	B3
ENSG00000124208	478	619	628	744	483	716	240
ENSG00000182463	27	20	27	26	48	55	24
ENSG00000125835	132	200	200	228	560	408	103
ENSG00000125834	42	60	72	86	131	99	30
ENSG00000197818	21	29	35	31	52	44	20
ENSG00000125831	0	0	2	0	0	0	0
ENSG00000215443	4	4	4	0	9	7	4
ENSG00000222008	30	23	29	19	0	0	0
ENSG00000101444	46	63	58	71	54	53	17
ENSG00000101333	2256	2793	3456	3362	2702	2976	1320
...	... tens of thousands more tags ...						

# Statistical models for count data

# Count data

- Count data (e.g. RNA-seq) is discrete, not continuous
- Statistical methods designed for microarrays are not directly applicable
- Two options:



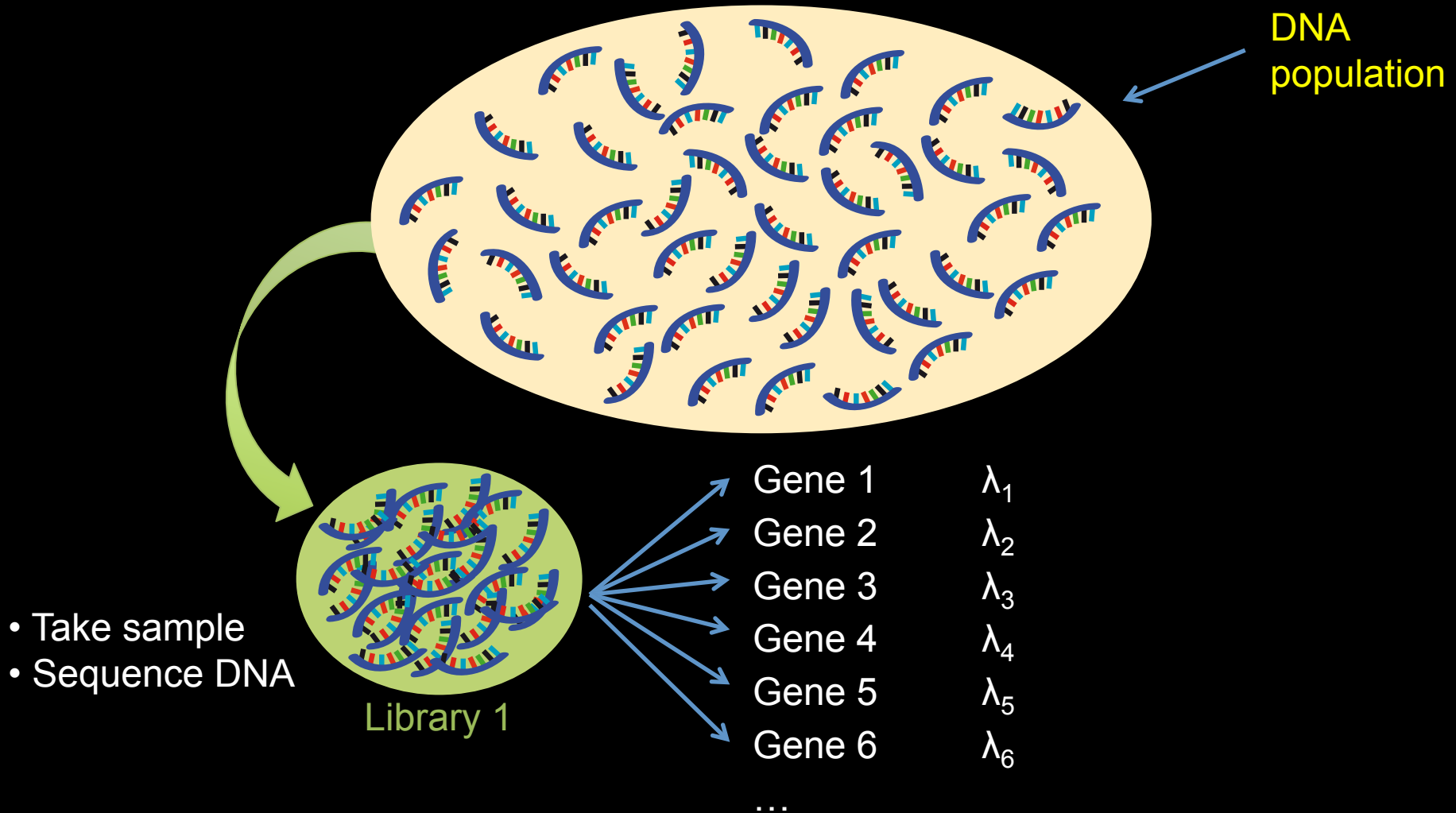
Transform count data  
and apply standard  
methodology

Analyze using models  
for count data

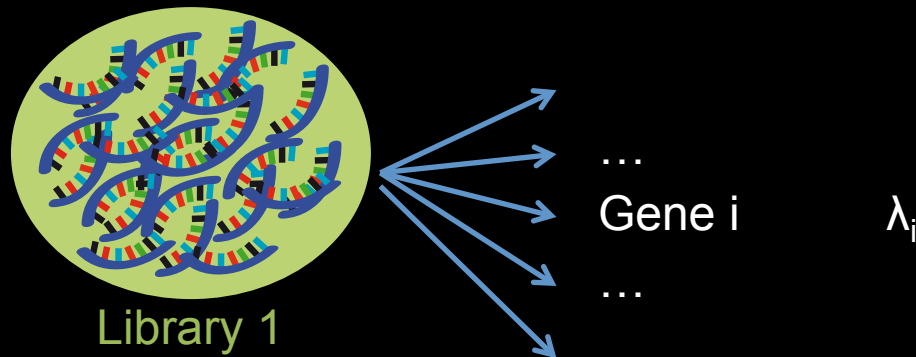
# Count data

- **BUT** we have learned much from the analysis of microarray data
- Methods that share information over the whole dataset generally:
  - stabilize parameter estimation
  - improve performance of making inferences

# Poisson arises naturally from multinomial sampling



# Reads for a single gene (single library) are binomial distributed



$$Y_i \sim \text{Binomial}(M, \lambda_i)$$

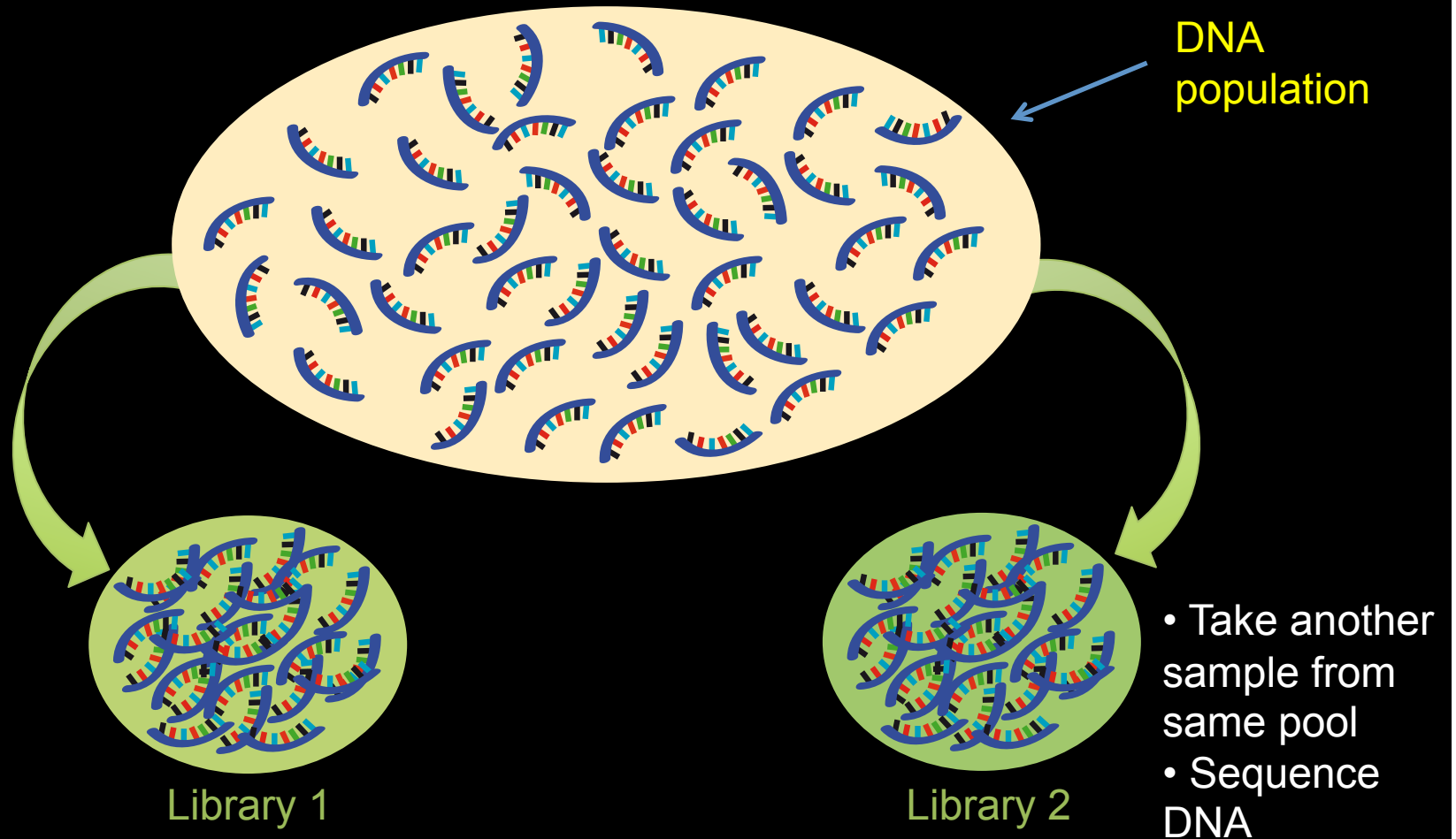
$Y_i$  - observed number of reads for gene  $i$

$M$  - total number of sequences

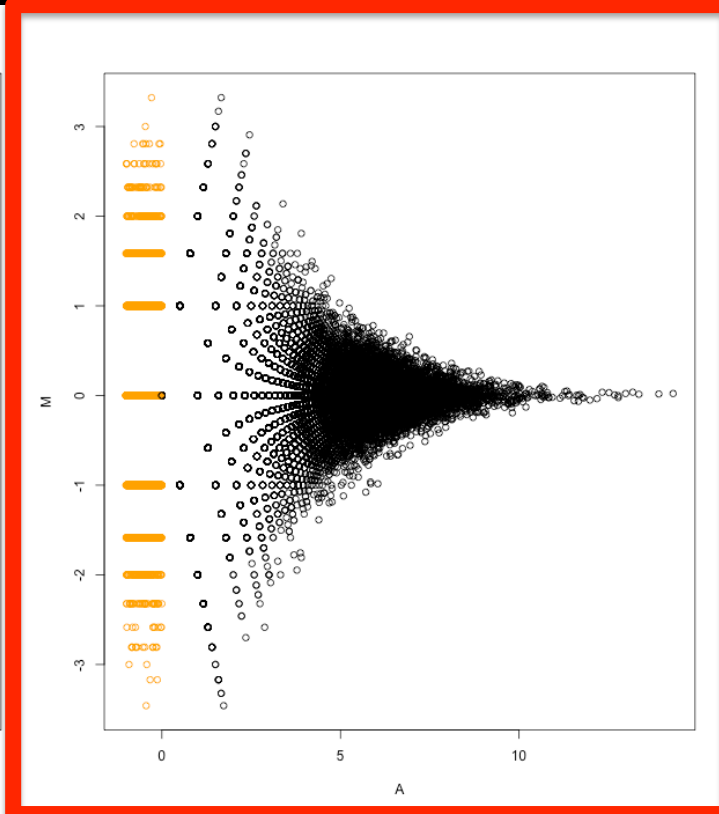
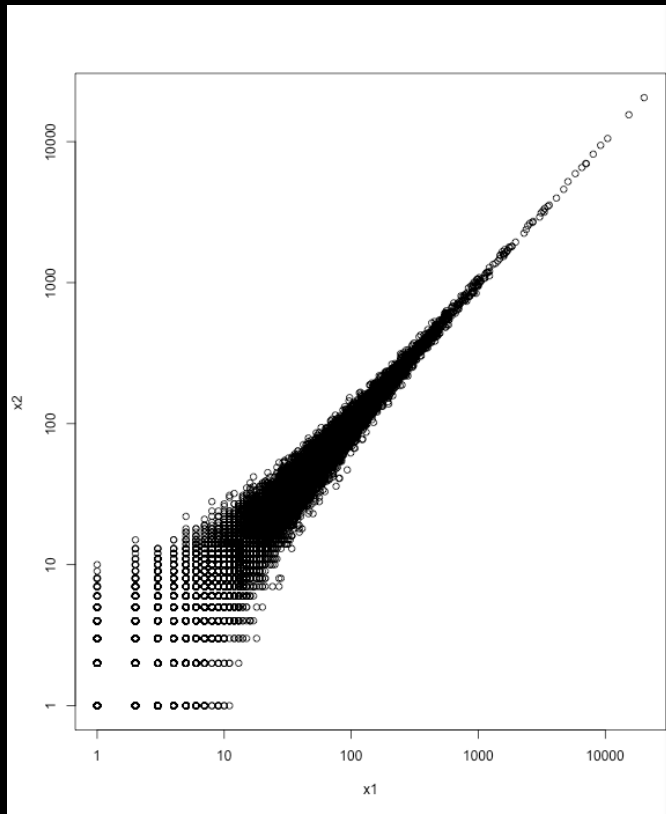
$\lambda_i$  - proportion

Large  $M$ , small  $\lambda_i \rightarrow$  approximated well by Poisson( $\mu_i = M \cdot \lambda_i$ )

# Technical replication



# Poisson replication induces a vuvuzela-shaped “MA”-plot



And the theory validates that this behaviour should exist:  $M$  is essentially a **log-relative-risk**

Power (to detect changes) is higher at higher counts  
Implications for downstream analysis.

$$M_g = \log_2 \frac{Y_{gk}/N_k}{Y_{gk'}/N_{k'}}$$

$$A_g = \frac{1}{2} \log_2 \left( Y_{gk}/N_k \bullet Y_{gk'}/N_{k'} \right) \text{ for } Y_{g\bullet} \neq 0$$



# Statistical models

- For count data, variance increases with mean
- Starting point: Poisson model
- Poisson has simplest mean-variance relationship

# Poisson

- Variance is equal to the mean
- One-parameter model: mean for each gene

$$Y_i \sim \text{Pois}(\mu_i)$$

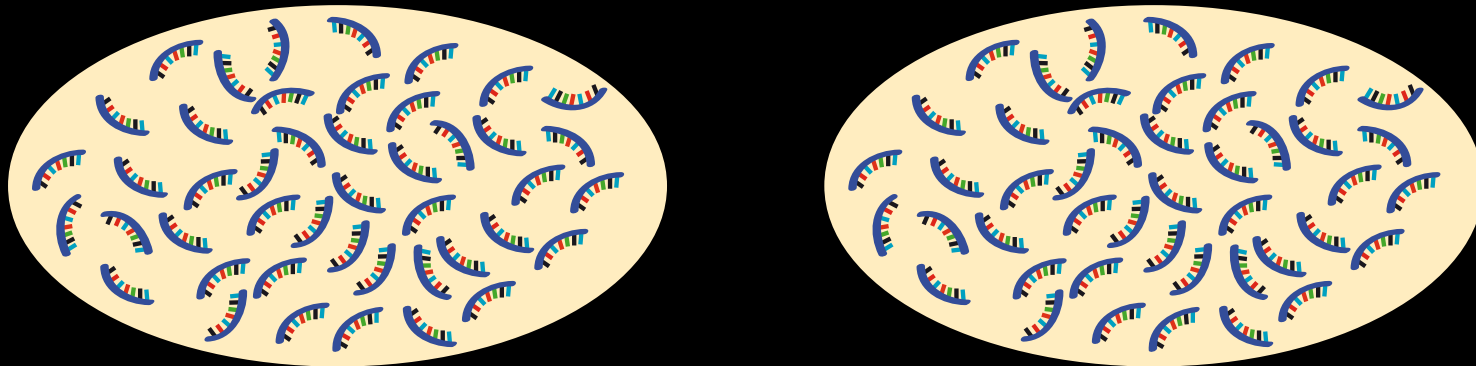
$$\mu_i = M * \lambda_i$$

- $M$  = library size
- $\lambda_i$  = relative contribution of gene  $i$

# Poisson describes technical variance

- Marioni et al (2008) show that there is little technical variance in RNA-seq
- Poisson model is (probably) adequate for assessing DE when there are only technical reps
- But this is not the end of the story ...

# Biological replication



2 or more independent DNA populations from  
the same experimental condition

Generally, experimenters will want biological  
replication for generalizable results

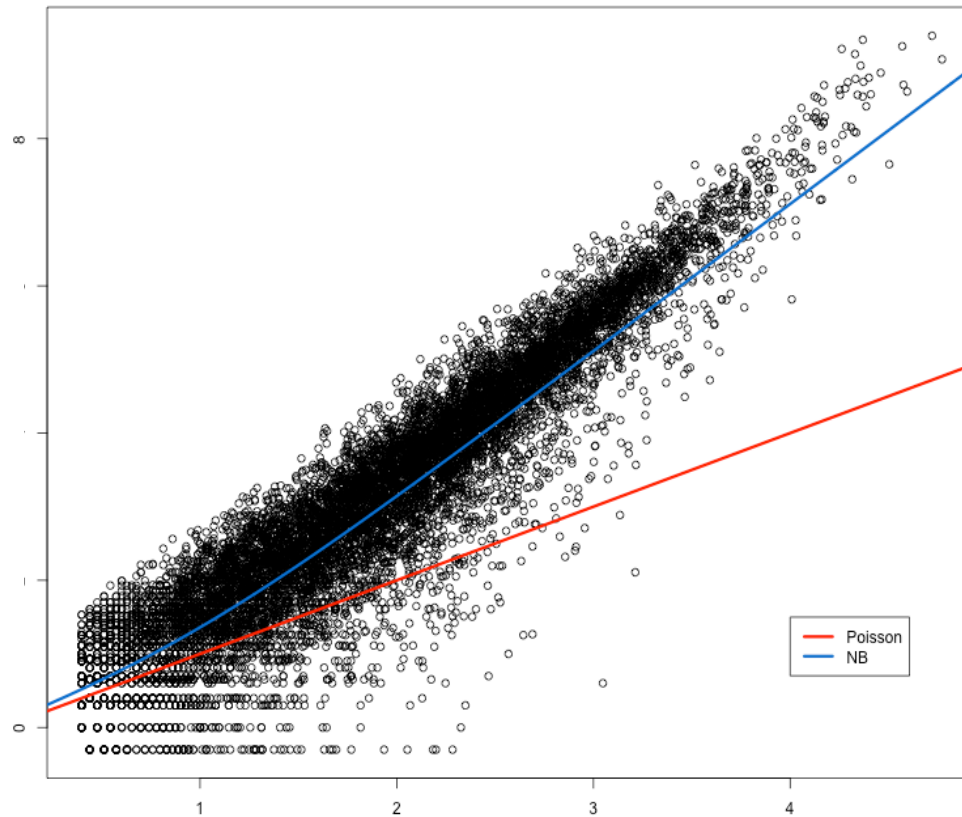
# Overdispersion: extra-Poisson variation

- If there are **ANY** further sources of variation, there is more variation in data than Poisson model can account for
- Poisson model underestimates variation -> false positives
- Need a model that can account for this extra variation

# Overdispersion is present in real data

Mean-variance plot for slime-mould dataset hr00 and hr24 (2 vs 2)

Gene  
variance  
(pooled)  
(log<sub>10</sub>  
scale)



Gene mean expression level (log<sub>10</sub> scale)

Comparing expression levels from *Dictyostelium discoideum* at hr00 and hr24 – two biological replicates at each time point. RNA-seq data from Parikh et al. *Genome Biology* 2010, 11:R35 <http://genomebiology.com/2010/11/3/R35>

# Sources of variation: technical and biological

- Technical: same pool of RNA sequenced separately (e.g. different lanes)
- Biological: RNA from different biological sources (e.g. individuals) under the same experimental conditions
- Other: extra-Poisson variation also introduced by other processes, e.g. different library preparations, protocols etc.

# Natural extension to Poisson: negative binomial model

- Introduce the **dispersion parameter**

$$Y_i \sim \text{NB}(\mu_i, \varphi_i)$$

- Still have mean expression level

$$\mu_i = M * \lambda_i$$

- $M$  = library size,  $\lambda_i$  = “conc” of gene DNA
- Variance is a quadratic function of mean:

$$\text{Var}(Y_i) = \mu_i (1 + \mu_i \varphi_i)$$



# Coefficient of variation

- Dispersion is **squared coefficient of variation**
- Measure of similarity/variability btw samples
- E.g. dispersion = 0.2  $\rightarrow$  coef of var = 0.45
- **Interpretation:** true expression levels of genes vary by 45% btw replicates
- Separate biological and technical variation

# Problem: small sample size

- RNA-seq experiments will typically have small sample sizes (e.g.  $n=7$ )
- Standard methods for estimating the dispersion for each gene produce **very unreliable estimates**
- Lesson from microarrays: share information between genes (variance structure) to improve inference

# Common dispersion model

- One approach: use **same value** for the dispersion for **all genes**
- Estimate using all genes in dataset (conditional max likelihood)
- Produces a reliable estimate
- Nice biological interpretation, but can be heavy handed

# Normalization

## Wang et al. 2008 Nature Reviews Genetics

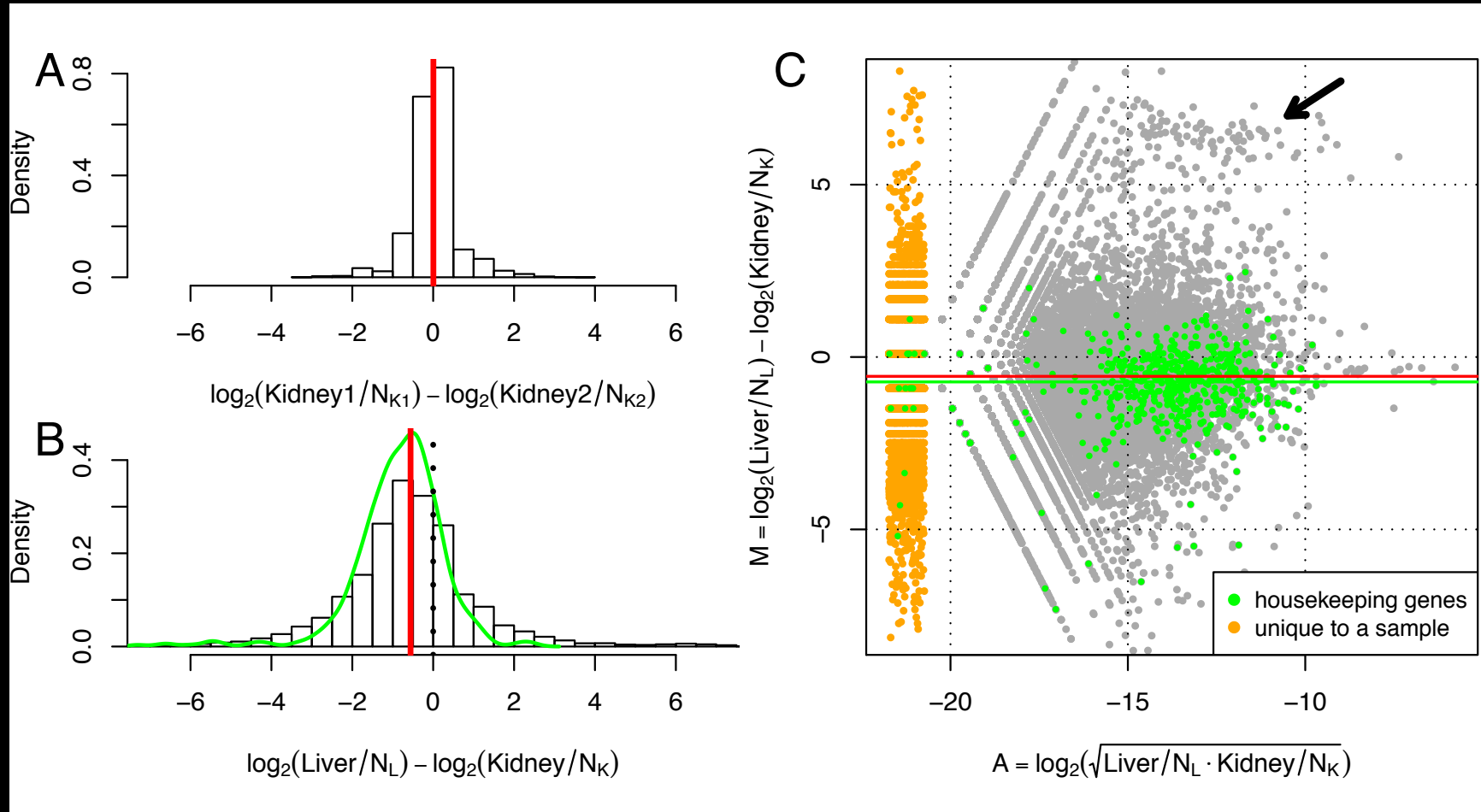
One particularly powerful advantage of RNA-Seq is that it can capture transcriptome dynamics across different tissues or conditions without sophisticated normalization of data sets<sup>19,20,22</sup>. RNA-Seq has been

## Mortazavi et al. 2008 Nature Methods

(RPKM) (**Fig. 1a,c**). The RPKM measure of read density reflects the molar concentration of a transcript in the starting sample by normalizing for RNA length and for the total read number in the measurement. This facilitates transparent comparison of transcript levels both within and between samples.

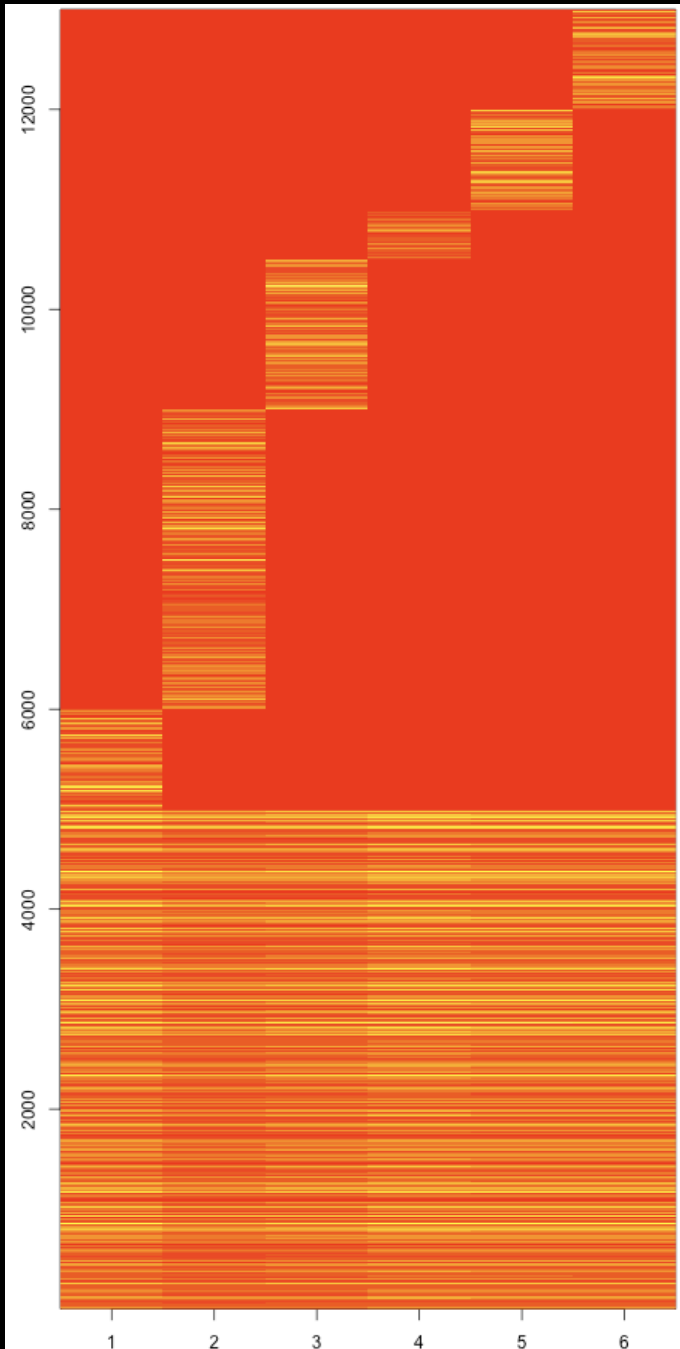
**But, this is not the full story.**

# Kidney and Liver RNA have very different composition



# “Composition” of sampled DNA can be an important consideration

- Hypothetical example: Sequence 6 libraries to the **same** depth, with varying levels of *unique-to-sample* counts
- Composition can induce (sometimes significant) differences in counts



Red=low, goldenyellow=high


# The adjustment to data analysis is straightforward

- Assumption: core set of genes that do not change in expression.
- Pick a reference sample, compute trimmed mean of M-values (TMM) to reference
- $LTM( [Y_{gk}/M_k] / [Y_{gk'}/M_{k'}] )$  estimates  $S_{k'}/S_k$
- Adjustment to statistical analysis:
  - Use “effective” library size (edgeR)
  - Use additional offset (GLM)




# Outline

1. Applications
2. Summarization
3. Statistical models for count data
4. “Normalization”




Preliminaries  
(~40min)




Practical  
(~20min)

5. Sharing information over entire dataset
6. Statistical testing
7. Other considerations – error model and more complex designs



More  
advanced  
topics  
(~30min)



Practical  
(~30min)

(Current) Bioconductor tools:  
baySeq, DEGseq, DESeq, **edgeR**

Sharing information over  
entire dataset

# Extending the common dispersion model

- Common dispersion offers sig. stabilization vs. naïve tagwise estimation, esp. in small samples.
- Have found common dispersion model to give good results
- **Downside:** not generally true that each tag has the same dispersion.
- Would like stabilized individual tagwise dispersions

# Moderated tagwise dispersions

- **Moderate** individual dispersions towards common value
- Stabilize dispersion ests. by sharing variance structure over all genes
- IDEA: 'Squeeze' individual dispersion ests. towards common value---larger ests. shrink, smaller ests. get larger

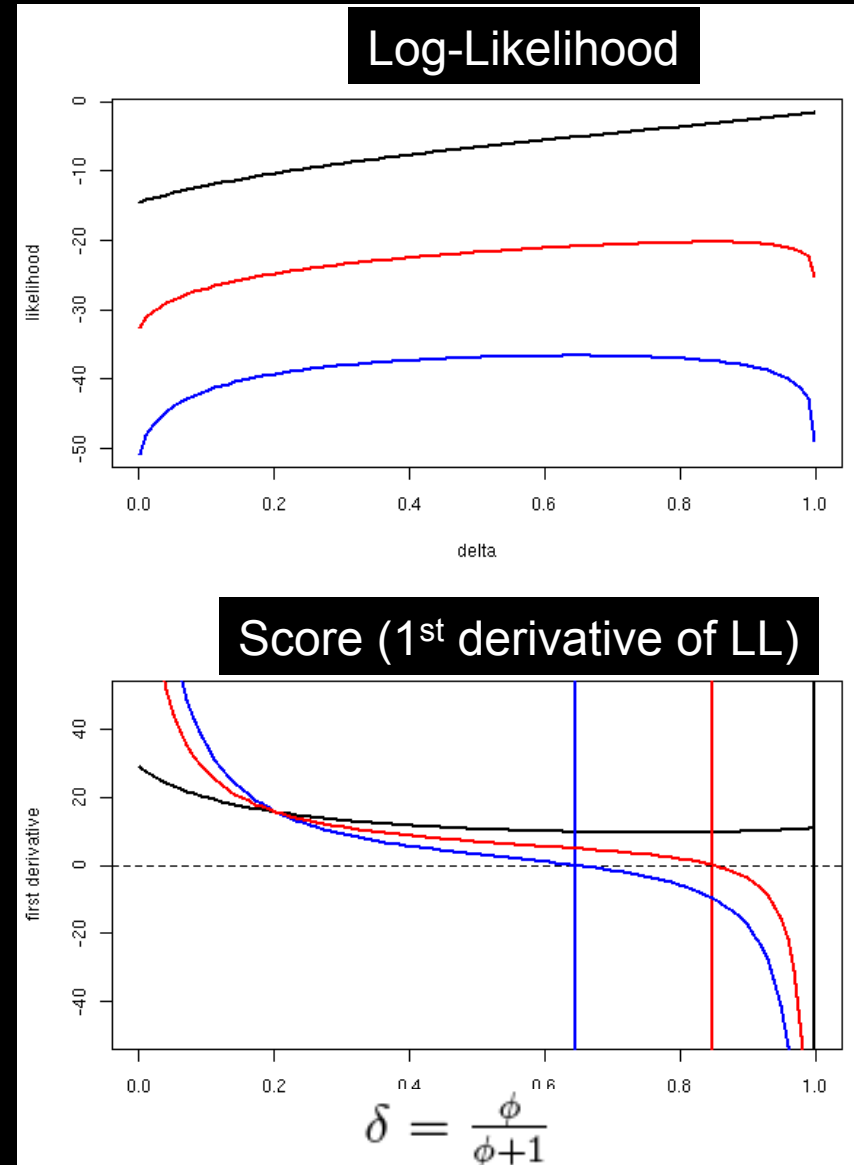
# Weighted Likelihood

- WL is the individual log-likelihood plus a weighted version of the **common log-likelihood**:

$$WL(\phi_g) = l_g(\phi_g) + \alpha l_C(\phi_g)$$

(1- $\alpha$ )

- $l_g$  here is the the quantile-adjusted conditional likelihood
- Plot shows:
  - Black: Likelihood for single tag
  - Blue: Likelihood averaged over all tags (common dispersion)
  - Red: Linear combination of the two



# New alternatives

- DESeq: fit an empirical mean-variance relationship using all data [Anders and Huber 2010]
- baySeq: use all data to form an empirical distribution [Tom Hardcastle]

# Statistical testing for count data

# Assessing DE: a statistical problem

- Two group setting\*: for **each gene**, estimate  $\lambda_1$  and  $\lambda_2$  (mean level for each group) and the dispersion

Tag ID	A1	A2	A3	A4	B1	B2	B3
ENSG00000215443	14	12	5	13	6	16	14
ENSG00000222008	97	113	90	101	10	13	10
ENSG00000101444	46	63	58	71	54	53	1001
ENSG00000101333	256	793	4156	5463	1705	976	1320
...	... tens of thousands more tags ...						

- Conduct a hypothesis test for  $\lambda_1$  and  $\lambda_2$
- Obtain a p-value for the significance of DE for each gene

\*Generalises to n groups



# Significance testing

- Simple hypothesis test

$$H_0: \lambda_1 = \lambda_2$$

VS

$$H_A: \lambda_1 \neq \lambda_2$$

- Easy to state, but requires some sophisticated statistics to test appropriately

# Multiple testing

- We fit the **same model to each gene**
- Fit the same model thousands of times
- Expect some (many) genes to appear significantly DE just by chance
- Need to adjust p-values for multiple testing (control the false discovery rate)
- Need accurate p-values to start with

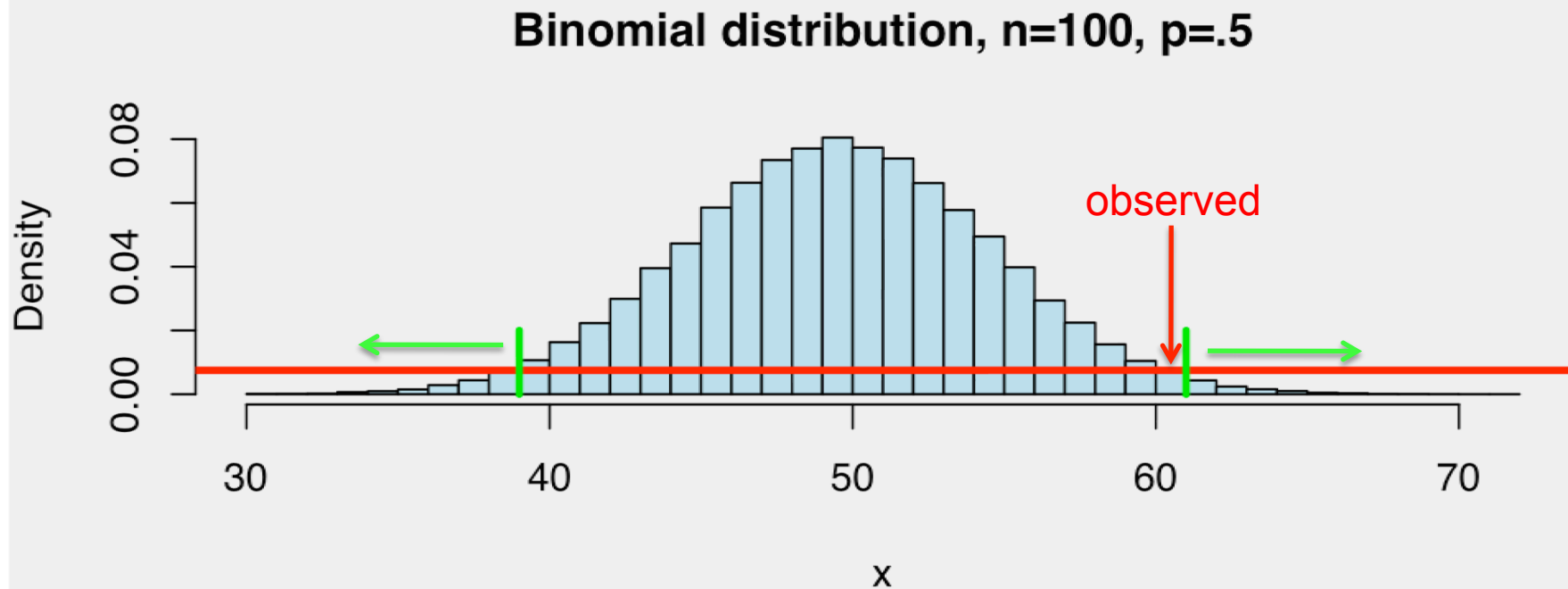
# Further considerations

- RNA-seq experiments: very small sample-sizes but need accurate p-values
- Asymptotic tests (Score, Likelihood Ratio, Wald) not ideal
- Instead: **exact tests** for the Poisson and NB models
- Exact tests give accurate p-values in small sample experiments

# Exact testing

- By conditioning on the total sum of counts for each gene we obtain conditional distributions
- Can compute **exact p-values** from conditional distributions

# Binomial exact testing



- Poisson model: sum of Poisson RVs is a Poisson RV
- Conditional distribution (on total sum for a gene) is multinomial
- Two groups: can compute **exact p-value** for DE from binomial distribution

# Exact test for NB distribution

- Sum of NB RVs is a NB RV, **if library sizes (means) are equal**, under the null hypothesis of no difference
- Conditioning gives 'overdispersed multinomial' from which we can compute exact p-values as per binomial test
- Statistical sophistication: quantile-adjustment to equalise library sizes and enable exact test for NB model
- Size of dispersion has big effect on significance of DE

# Effect of dispersion

```
> d.tuch$counts[hicom.lotgw,order(d.tuch$samples$group)]
      N8 N33  N51  T8  T33  T51
FABP4  62  62  387   0   37 2022
MMP1   68  74 11190 1883 1998 24955
TTY15 241   1    0   46   0    0
> de.tuch.com$table[hicom.lotgw,]
      logConc  logFC  p.value
FABP4  -15.59  2.016 0.005006
MMP1   -11.59  1.865 0.008713
TTY15  -17.90 -2.281 0.002998
> de.tuch.tgw$table[hicom.lotgw,]
      logConc  logFC  p.value
FABP4  -15.60  2.018 0.05040
MMP1   -11.59  1.866 0.05771
TTY15  -17.87 -2.238 0.07857
> d.tuch$common.dispersion
[1] 0.3325
> d.tuch$tagwise.dispersion[hicom.lotgw]
[1] 0.6694 0.6207 0.9417
```

# Limitations of exact tests

- Exact tests only implemented for *pairwise* comparisons between groups
- Can only be used for single-factor (one-dimensional) experimental design
- Cannot include any other factors or covariates in our model for DE
- qCML approach to estimating dispersion also only for single-factor design



# Limitations of exact testing

- E.g. cannot account for **paired** samples in Tuch et al (2010) data
- Matched tumour/normal oral tissue from 3 patients (6 RNA samples)

	Normal	Tumour
Patient 8	N8	T8
Patient 33	N33	T33
Patient 51	N51	T51

Paired oral squamous cell carcinoma and healthy oral tissue samples from three patients. RNA-seq data from Tuch et al. Tumor transcriptome sequencing reveals allelic expression imbalances associated with copy number alterations. *PLoS ONE* (2010) vol. 5 (2) pp. e9317. doi:10.1371/journal.pone.0009317

Further considerations

# More complicated experiments

- We would like to be able to analyse more complicated experimental designs
- Paired samples, time-series, covariates, batch/day effects etc.
- Need to go beyond the qCML and exact tests (sadly)

# GLM methods for complicated designs

- Propose to use GLM (generalized linear model) methods for more complicated designs
- Currently implementing likelihood ratio tests
- Cox-Reid approximate conditional inference for estimating dispersion
- Cutting edge...hopefully ready to go soon!

# Example: Cancer dataset

- RNA-seq data from Tuch et al (2010)
- Comparing oral squamous cell carcinoma tissue to matched healthy oral tissue
- 6 samples, paired design

Sample	Description
N8	healthy oral tissue from patient 8
T8	oral tumour tissue from patient 8
N33	healthy oral tissue from patient 33
T33	oral tumour tissue from patient 33
N51	healthy oral tissue from patient 51
T51	oral tumour tissue from patient 51

\*Ignore paired design for now and treat as simple comparison of healthy and tumour groups

# Exact test in edgeR: tagwise disp

```
> de.tuch.tgw <- exactTest(d.tuch,common.disp=FALSE)
Comparison of groups: tumour - normal
> topTags(de.tuch.tgw, n=5)
Comparison of groups: tumour - normal
```

	logConc	logFC	PValue	FDR
TNNC2	-16.63025	-6.439491	6.237545e-12	1.146710e-07
KRT36	-19.02052	-8.087423	1.723154e-11	1.583923e-07
ADIPOQ	-19.88465	-7.30664	1.133512e-10	6.946160e-07
SPP1	-14.90146	6.057058	3.448317e-10	1.288116e-06
CA3	-15.43170	-6.462589	3.782377e-10	1.288116e-06

```
> top.tgw <- rownames(topTags(de.tuch.tgw, n=5)$table)
> d.tuch$counts[top.tgw,c(1,3,5,2,4,6)]
```

	N8	N33	N51	T8	T33	T51
TNNC2	590	1627	1239	1	8	39
KRT36	711	104	70	2	1	1
ADIPOQ	111	12	575	1	1	1
SPP1	19	29	158	378	8517	1681
CA3	1859	4259	557	1	35	73

# GLM results

```
> glm.res.com[o1[1:10],]
```

	LRT	p-val	N8	N33	N51	T8	T33	T51
TMPRSS11B	9.508e-15		2601	7874	3399	3	322	9
TNNC2	2.388e-13		590	1627	1239	1	8	39
CKM	2.609e-13		4120	5203	24175	5	24	1225
MAL	4.009e-13		2742	3977	1772	3	264	8
CRNN	6.646e-13		24178	22055	12533	49	2353	26
PI16	6.781e-13		231	216	1950	0	2	35
KRT36	2.229e-12		711	104	70	2	1	1
IL1F6	3.513e-12		367	1825	809	10	45	1
MYBPC1	3.641e-12		4791	4145	15766	10	14	1319
MUC21	1.376e-11		4161	3432	1722	7	517	5

# Dispersion estimation

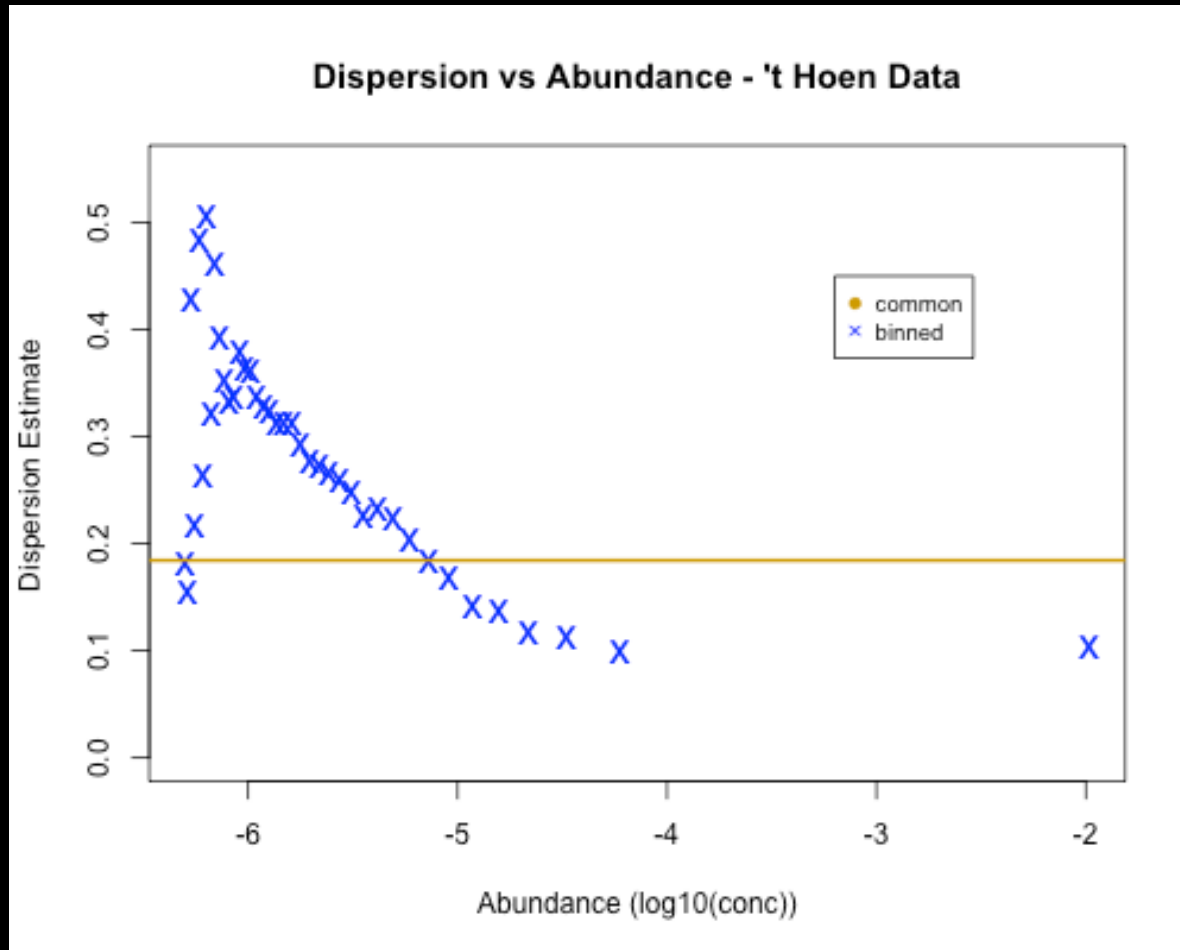
- Estimating the dispersion appropriately for GLMs
- Cox-Reid approximate conditional inference



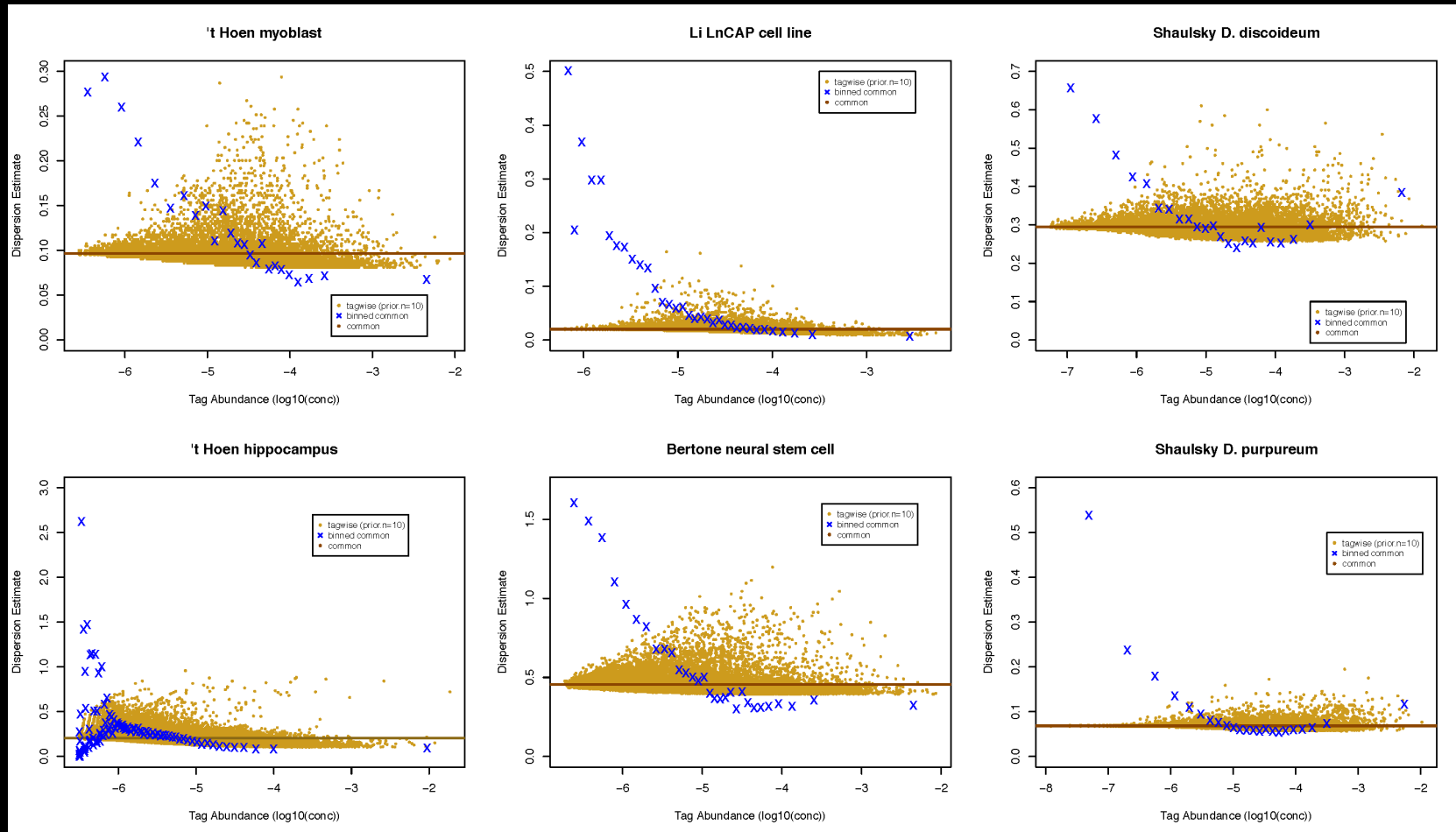
# Mean-dispersion relationship

- There is evidence of that the value of the dispersion parameter varies with the expression level of the tag
- Noted by Anders and Huber (2010)
- Generally, dispersion is larger for low abundance tags and decreases as abundance increases

# Mean-dispersion rel.: 't Hoen



# Also seems true for more datasets



# Consequences

- Looks like dispersion is much larger for lower abundance tags
- Including this in the model would decrease ability to call low abundance tags DE (but further increase power for high abundance tags; is perhaps more correct)
- DESeq has been designed to deal with this
- edgeR will soon also include an option for allowing dispersion to vary with abundance

# Concluding remarks

- Must understand and account for biological variability (overdispersion) in RNA-seq data
- Negative binomial model, sharing information between genes
- Exact and multiple testing for accurate p-values

# References

- Robinson and Smyth, *Biostatistics*, 2008, 9(2):321-32.
- Robinson and Smyth, *Bioinformatics*, 2007, 23(21):2881-7.
- Robinson, McCarthy and Smyth, *Bioinformatics*, 2010, 26(1): 139-40.
- Bullard et al. *BMC Bioinformatics*, 2010, 11:94.
- Robinson and Oshlack, *Genome Biology*, 2010, 11(3):R25.
- Anders and Huber, 2010, *Nature Precedings* (<http://dx.doi.org/10.1038/npre.2010.4282.1>)
- Wang et al. *Bioinformatics*, 2010, 26(1):136-8.
- Hardcastle, baySeq - (<http://www.bioconductor.org/packages/release/bioc/html/baySeq.html>)
- Oshlack and Wakefield, *Biol Direct*. 2009, 4:14.
- Young et al. *Genome Biology* 2010, 11(2): R14

# R Practical

# Analysis in R

- R/Bioconductor: open-source statistical software
- Four packages currently available for DE analysis of count data in R
- DEGSeq (Poisson), **edgeR**, baySeq and DESeq (NB)
- For NB, variations in the implementation of information sharing and statistical testing
- We work on **edgeR**, so this is our favourite



# Reading in data

- Read the data into R session using a 'targets' file
- The function `readDGE()` creates a 'DGEList' object which stores our data in R

```
> library(edgeR)
```

```
> targets <- read.delim  
(file='Targets.txt',stringsAsFactors=  
FALSE)
```

```
> d <- readDGE  
(targets,skip=5,comment.char='#')
```

# DGEList object

```
> d
```

```
An object of class "DGEList"
```

```
$samples
```

	files	group		description	lib.size
GSM272105	GSM272105.txt	DCLK	transgenic (Dclk1)	mouse hippocampus	2582749
GSM272106	GSM272106.txt	WT	wild-type	mouse hippocampus	3342705
GSM272318	GSM272318.txt	DCLK	transgenic (Dclk1)	mouse hippocampus	3207895
GSM272319	GSM272319.txt	WT	wild-type	mouse hippocampus	3273243
GSM272320	GSM272320.txt	DCLK	transgenic (Dclk1)	mouse hippocampus	2428553
GSM272321	GSM272321.txt	WT	wild-type	mouse hippocampus	358649
GSM272322	GSM272322.txt	DCLK	transgenic (Dclk1)	mouse hippocampus	714498
GSM272323	GSM272323.txt	WT	wild-type	mouse hippocampus	2833329

```
$counts
```

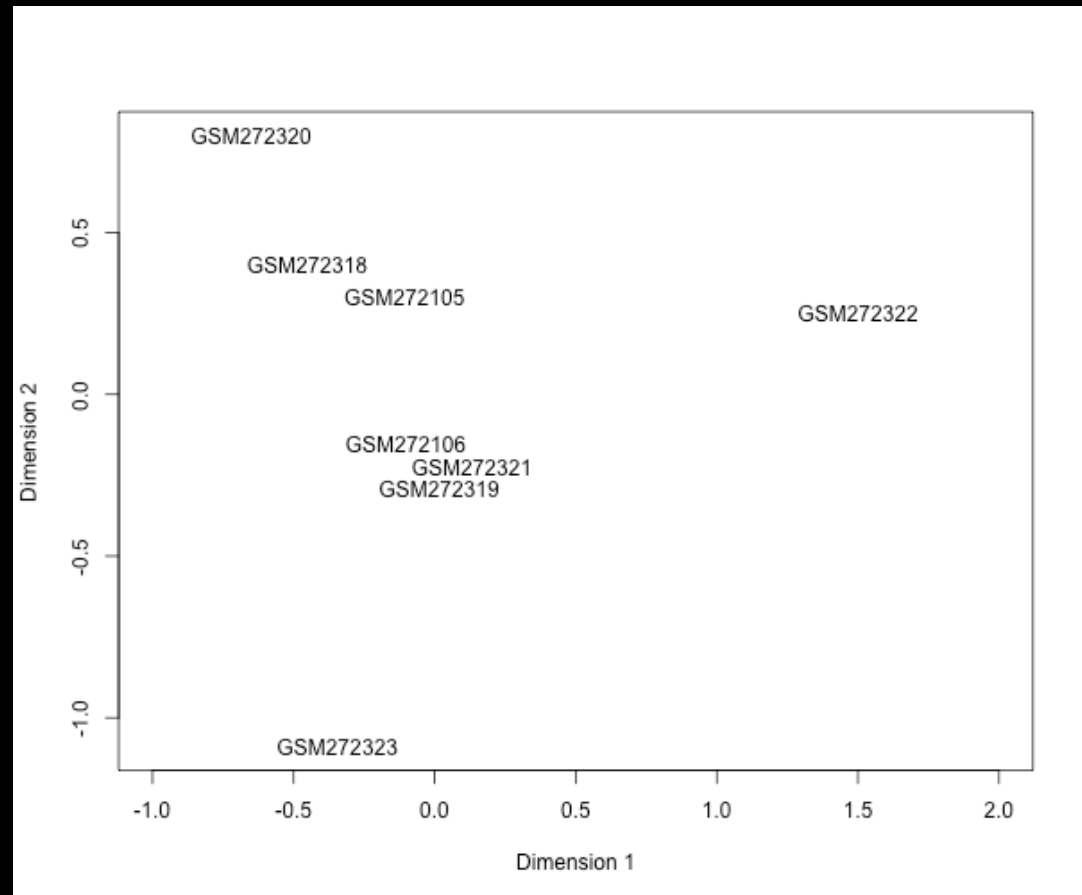
	GSM272105	GSM272106	GSM272318	GSM272319	GSM272320	GSM272321
TTTTTCTTCTTTCTTTT	3	1	2	6	3	0
CAGGGACCATCTGTAGA	5	19	2	16	2	0
GTGCGTGCAGCTGAGGG	7	4	6	5	7	1
ATACACACTGTAAAGAG	2	0	6	4	6	0
AATTATAGTGCAATTGA	5	3	3	3	2	0

	GSM272322	GSM272323
TTTTTCTTCTTTCTTTT	1	2
CAGGGACCATCTGTAGA	2	13
GTGCGTGCAGCTGAGGG	2	3
ATACACACTGTAAAGAG	2	8
AATTATAGTGCAATTGA	0	4

```
76546 more rows ...
```

# Multi-dimensional scaling plot

- Used to assess similarity btw libraries - identify outliers and problematic samples
- Common dispersion used as the 'distance metric'
- Libraries quite similar here, apart from GSM272322



> plotMDS.dge(d)

# Estimating the common dispersion

- We now compute common dispersion
- Estimate of the coefficient of variation is 0.44, quite large
- Genuine biological variation so reasonable that there is large inter-library variation

```
> d <- estimateCommonDisp(d)
```

```
> d$common.dispersion
```

```
[1] 0.1964033
```

```
> sqrt(d$common.dispersion)
```

```
[1] 0.4431741
```

# Exact test in edgeR: common disp

```
> de.common <- exactTest(d)
Comparison of groups: WT - DCLK
> topTags(de.common, n=5)
Comparison of groups: WT - DCLK
      logConc  logFC      PValue      FDR
AATTTCTTCCTCTTCCT -17.25 11.671 2.803e-38 2.146e-33
TCTGTACGCAGTCAGGC -18.42 -9.633 1.116e-23 4.270e-19
CCGTCTTCTGCTTGTCG -10.70  5.290 3.524e-22 8.992e-18
AAGACTCAGGACTCATC -32.22 35.600 1.516e-20 2.901e-16
CCGTCTTCTGCTTGTA  -14.57  5.176 2.716e-20 4.158e-16
top.com <- rownames(topTags(de.common, n=5)$table)
> d$counts[order(top.com, order(d$samples$group))]
      GSM272105 GSM272318 GSM272320 GSM272322 GSM272106 GSM272319 GSM272321 GSM272323
AATTTCTTCCTCTTCCT      1         0         0         0         44         1         76        3487
TCTGTACGCAGTCAGGC     160        101        440        33         0         1         0         0
CCGTCTTCTGCTTGTCG     106        268        601         5       1485        420       5156        242
AAGACTCAGGACTCATC         0         0         0         0         6         2         4        461
CCGTCTTCTGCTTGTA      12         21         31         1         87        28        352         14

> sum(topTags(de.common, n=Inf)$table$FDR < 0.01)
[1] 399
```

# Estimating the tagwise dispersions

- One function call required to estimate moderated tagwise dispersions
- The argument 'prior.n' determines amount of moderation or 'squeezing' towards common disp
- Larger prior.n → more squeezing

```
> d <- estimateTagwiseDisp(d, prior.n=10)
```

Using grid search to estimate tagwise dispersion.

```
> summary(d$tagwise.dispersion)
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
0.119	0.185	0.193	0.197	0.207	0.809

# Exact test in edgeR: tagwise disp

```
> de.tagwise <- exactTest(d, common.disp=FALSE)
Comparison of groups: WT - DCLK
> topTags(de.tagwise, n=5)
Comparison of groups: WT - DCLK
      logConc   logFC   PValue   FDR
TCTGTACGCAGTCAGGC -18.42 -9.633 3.244e-19 2.483e-14
CATAAGTCACAGAGTCG -32.76 -34.508 1.995e-14 7.636e-10
AATTTCTTCCTCTTCCT -17.26  11.668 1.223e-13 3.122e-09
AAAAGAAATCACAGTTG -32.97 -34.089 6.105e-12 1.168e-07
ATACTGACATTTTCGTAT -16.74   4.213 9.744e-12 1.492e-07
> top.tgw <- rownames(topTags(de.tagwise, n=5)$table)
> d$counts[top.tgw,order(d$samples$group)]
      GSM272105 GSM272318 GSM272320 GSM272322 GSM272106 GSM272319
TCTGTACGCAGTCAGGC      160       101       440        33         0         1
CATAAGTCACAGAGTCG       67        77        58         7         0         0
AATTTCTTCCTCTTCCT         1         0         0         0        44         1
AAAAGAAATCACAGTTG       31        90        42         3         0         0
ATACTGACATTTTCGTAT        5         5         8         1       113       228
      GSM272321 GSM272323
TCTGTACGCAGTCAGGC         0         0
CATAAGTCACAGAGTCG         0         0
AATTTCTTCCTCTTCCT       76       3487
AAAAGAAATCACAGTTG         0         0
ATACTGACATTTTCGTAT         4       104
> > sum(topTags(de.tagwise, n=Inf)$table$FDR < 0.01)
[1] 237
```